

*Review Series of Recent Deep Learning Papers:*  
Parameter Prediction Paper: Diet  
Networks: Thin Parameters for Fat  
Genomics

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<https://qdata.github.io/deep2Read/>

# 'FAT' genomic data

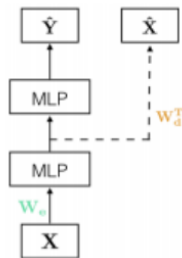
- 1 the number of input features orders of magnitude larger than the number of training examples
- 2 For example, genetic variation data: millions of SNPs
- 3 When these features are used as input, number of free parameters increases.
- 4 Diet Networks: Reparametrize the network to reduce the number of free parameters

- 1 TASK: predicting genetic ancestry from SNP data

- ① TASK: predicting genetic ancestry from SNP data
- ② Diet Networks:
  - ① Parameter Prediction Network
  - ② Primary Network

- 1 TASK: predicting genetic ancestry from SNP data
- 2 Diet Networks:
  - 1 Parameter Prediction Network
    - 1 Input: Single feature
    - 2 Output: Parameters for Primary Network for that feature
    - 3 Shared between all features
  - 2 Primary Network
    - 1 Classifier Network

# Diet Network



1  $\mathbf{X} \in \mathbb{R}^{N \times N^d}$  ( $N^d$  dimensional  $N$  examples)

2

$$\mathbf{h}_i = f(\mathbf{x}_i) \quad (1)$$

$$y_i = g(\mathbf{h}_i) \quad (2)$$

$$\hat{\mathbf{x}}_i = r(\mathbf{h}_i) \quad (3)$$

# Diet Nets: 'Fat' layer parameters

1

$$\mathbf{h}_i = f(\mathbf{x}_i) \quad (4)$$

$$y_i = g(\mathbf{h}_i) \quad (5)$$

$$\hat{\mathbf{x}}_i = r(\mathbf{h}_i) \quad (6)$$

2

$$\mathbf{h}_1 = f_1(\mathbf{W}_e \mathbf{x}_i) \quad (7)$$

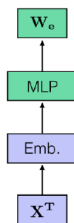
3 first hidden layer:  $\mathbb{N}^h$ ,  $\mathbf{W}_e \in \mathbb{N}^d \times \mathbb{N}^h$

4 if input has 300K SNPs, then the number of parameters: 30M

# Parameter Prediction Network

1

$$h_1 = f_1(\mathbf{W}_e \mathbf{x}_i) \quad (8)$$



2

Parameter Prediction Network

3  $\mathbf{e}_j = \text{Embedding}(\mathbf{X}_{j:}^T)$

4  $(\mathbf{W}_e)_{j:} = \phi(\mathbf{e}_j)$



# Feature Embeddings

- 1 Any kind of embedding that does not lead to an increase in the number of parameters
- 2 For example, for ancestry prediction task,
  - 1 Random Projection
  - 2 embedding as another MLP: end to end learning
  - 3 SNP per class histogram
  - 4 Denoising Autoencoder trained on X: learns to recover the values of missing SNPs by using their similarities and cooccurences with other SNPs

# Results

<b>Model &amp; Embedding</b>	<b>Mean Misclassif. Error. (%)</b>	<b># of free parameters</b>
Basic	$8.31 \pm 1.83$	31.5M
Raw end2end	$8.88 \pm 1.42$	217.2k
Random Projection	$9.03 \pm 1.20$	10.1k
SNP2Vec	<b><math>7.60 \pm 1.28</math></b>	<b>10.1k</b>
Per class histograms	$7.88 \pm 1.40$	7.9k
Basic with reconstruction	$7.76 \pm 1.38$	63M
Raw end2end with reconstruction	$8.28 \pm 1.92$	227.3k
Random Projection with reconstruction	$8.03 \pm 1.03$	20.2k
SNP2Vec with reconstruction	$7.88 \pm 0.72$	20.2k
Per class histograms with reconstruction	<b><math>7.44 \pm 0.45</math></b>	<b>15.8k</b>
<b>Traditional approaches</b>	<b>Mean Misclassif. Error. (%)</b>	
PCA (10 PCs)	$20.56 \pm 3.20$	
PCA (50 PCs)	$12.29 \pm 0.89$	
PCA (100 PCs)	$10.52 \pm 0.25$	
PCA (200 PCs)	$9.33 \pm 1.24$	
PCA (100 PCs) + MLP(50)	$12.67 \pm 0.67$	
PCA (100 PCs) + MLP(100)	$12.18 \pm 1.75$	
PCA (100 PCs) + MLP(100, 100)	$11.95 \pm 2.29$	