UVA CS 6316: Machine Learning : 2019 Fall Course Project: Deep2Reproduce @ https://github.com/qiyanjun/deep2reproduce/tree/master/2019Fall

Visualizing the Loss Landscape of Neural Nets

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Motivation

- Understand the effect of training parameters and network architectures on loss landscapes and the shape of minimizers
- Find the effect of loss landscapes on generalization
- Does loss landscape show significant non-convexity?



Figure 1: The loss surfaces of ResNet-56 with/without skip connections. The proposed filter normalization scheme is used to enable comparisons of sharpness/flatness between the two figures.

Background

- Trainability of neural nets is highly dependent on:
 - Network architecture
 - Optimizer
 - Variable initialization and etc.
- Globally optimal or near-optimal solutions can be found by common optimization methods for restricted network classes^[2, 3, 4]
- Relationship between sharpness/flatness of local minima and generalization ability:
 - Small-batch SGD produces flat minimals that generalize well
 - Large-batch SGD produces sharp minimals and has poor generalization

Related Work

- 1-Dimensional Linear Interpolation by Goodfellow et al. ^[5] $\theta(\alpha) = (1 - \alpha)\theta + \alpha\theta'$ $f(\alpha) = L(\theta(\alpha))$
- Contour Plots & Random Directions

 $f(\alpha,\beta) = L(\theta^* + \alpha\delta + \beta\eta)$

• Explore the trajectories of minimization methods

Claim / Target Task

1D Linear Interpolation

- hard to visualize non-convexities
- does not consider batch normalization
- Contour Plots & Random Directions:
 - 2D case but computational burden is large causes low-resolution
 - Fails to capture the intrinsic geometry of loss surfaces
- Scale invariance in (rectified) network weights
 - Prevent meaningful comparisons between plots of different networks
- Sharp minimizers or flat minimizers generalize better?
 - The difference between sharp and flat minimizers
 - How to visualize?

An Intuitive Figure Showing WHY Claim



Proposed Solution

- Filter-Wise Normalization
 - Produce a random Gaussian direction vector *d*
- $d_{i,j} \leftarrow rac{d_{i,j}}{\|d_{i,j}\|} \| heta_{i,j}\|$

- *d* is dimensional compatible with θ .
- Normalize each filter in *d* to have the same norm of corresponding filter in θ .
- Will be applied to convolutional layers and fully connected layers
- ps. *j* means *j*th filter in *i*th layer of *d*
- Explore the relationship between generalization and flatness/sharpness
- Explore different architecture effect

Implementation

- Prepare pretrained models with different parameters will be used
- Load models and extract parameters
- Setup the direction file and the image file in .h5 file
 - Filter normalization:

for d, w in zip(direction, weights):
d.mul_(w.norm()/(d.norm() + 1e-10))

- Calculate loss values and accuracies: cross entropy
- Plot figures

Data Summary

- Dataset
 - Cifar 10
- Pretrained Models
 - VGG-9
 - ResNet 56
 - ResNet 56 (no shortcut)

Batch size	128, 8192
Weight Decay	0, 0.0005
# of epoches	300
Learning Rate	0.1

Experimental Results & Analysis



Filter-wise Normalization is more accurate.

Experimental Results & Analysis



$$f(\alpha) = L(\theta^s + \alpha(\theta^l - \theta^s))$$

Sharpness has no relationship with generalization. Small batch lead to better generalization.

Experimental Results & Analysis



Resnet56(no shortcut), batch size=128

Resnet56



Conclusion and Future Work

- Filter-wise Normalization works well to show intrinsic loss landscape
- Network with smaller batch size can generalize better
 - Sharpness has no relationship with generalization
- Shortcut connections have a dramatic effect on the loss surface
 - Shortcut connections prevent the transition to chaotic behavior
- Future works:
 - Get plots on higher resolution
 - Find a simpler and faster method to do loss visualization

Job Split

Yu Du:

Load Data

1D Interpolation Graph

Training

Jupyter Notebook Wrap-up

Haochuan Zhang:

Model Data Extraction

Filter-wise Normalization

2D Contour Map

Training

References

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- [5] Ian J Goodfellow, Oriol Vinyals, and Andrew M Saxe. Qualitatively characterizing neural network optimization problems. In *ICLR*, 2015.