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# Summary of Paper: Adversarial Playground

By: Andrew Norton and Yanjun Qi

Presented by: Jennifer Fang [Week 01]

Department of Computer Science: University of Virginia

@ <https://qdata.github.io/deep2Read/>



# **ADVERSARIAL-PLAYGROUND: A Visualization Suite Showing How Adversarial Examples Fool Deep Learning**

**Goal:** Visualize the efficacy of current adversarial methods against convolutional NN systems through a web visualization tool.

Make this tool educational, modular, and interactive.

## Background

**Adversarial examples:** maliciously generated images formed by making imperceptible modifications; threat to security

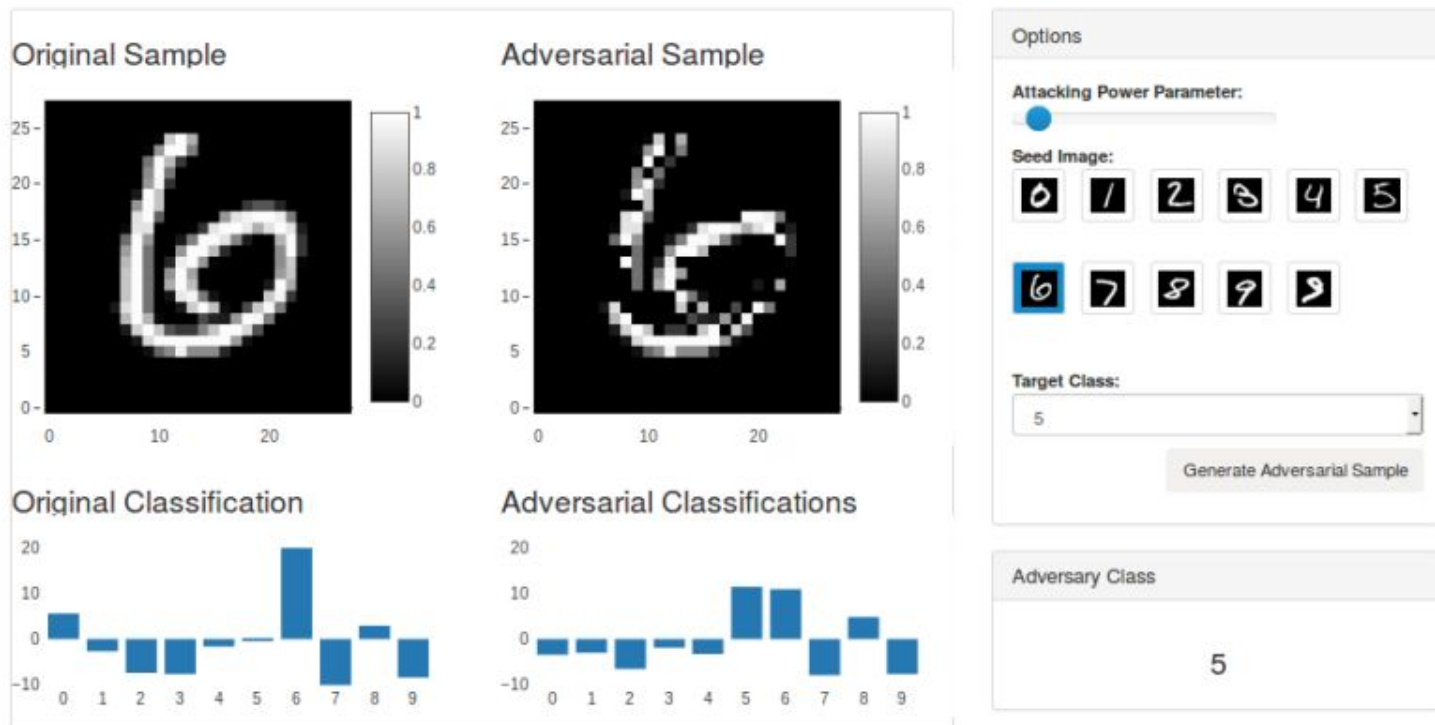
Falls into *evasion attacks*; those which aim to create inputs to be misclassified

2 types:

1. Targeted:  $x' = \arg \min_{s \in X} \{\|x - s\| : f(s) = y_t\}$  target a class  $y_t$
2. Untargeted:  $x' = \arg \min_{s \in X} \{\|x - s\| : f(s) \neq f(x)\}$  just want to misclassify

## Fast Jacobian Saliency Map Approach

Use controls on right to update and view generated adversarial sample.





# Design Decisions

For speed:

1. Utilized client and server-side code
2. Rendered images in the client
3. Implemented a faster variant of JSMA attack

For usability:

1. Made Adversarial Playground a web-based application; no need for downloading



# Benefits of Adversarial Playground

## 1. Educational

- a. Non-experts can understand why adversarial examples fool CNN-based image classifiers.
- b. Helps security experts explore more vulnerabilities.
- c. Accessible to casual users

## 2. Interactive

- a. Responds to user requests, and does so quickly.

## 3. Modular

- a. Experts can easily plug it into their frameworks as a module
- b. Experts can easily add other DNN models into the visualization

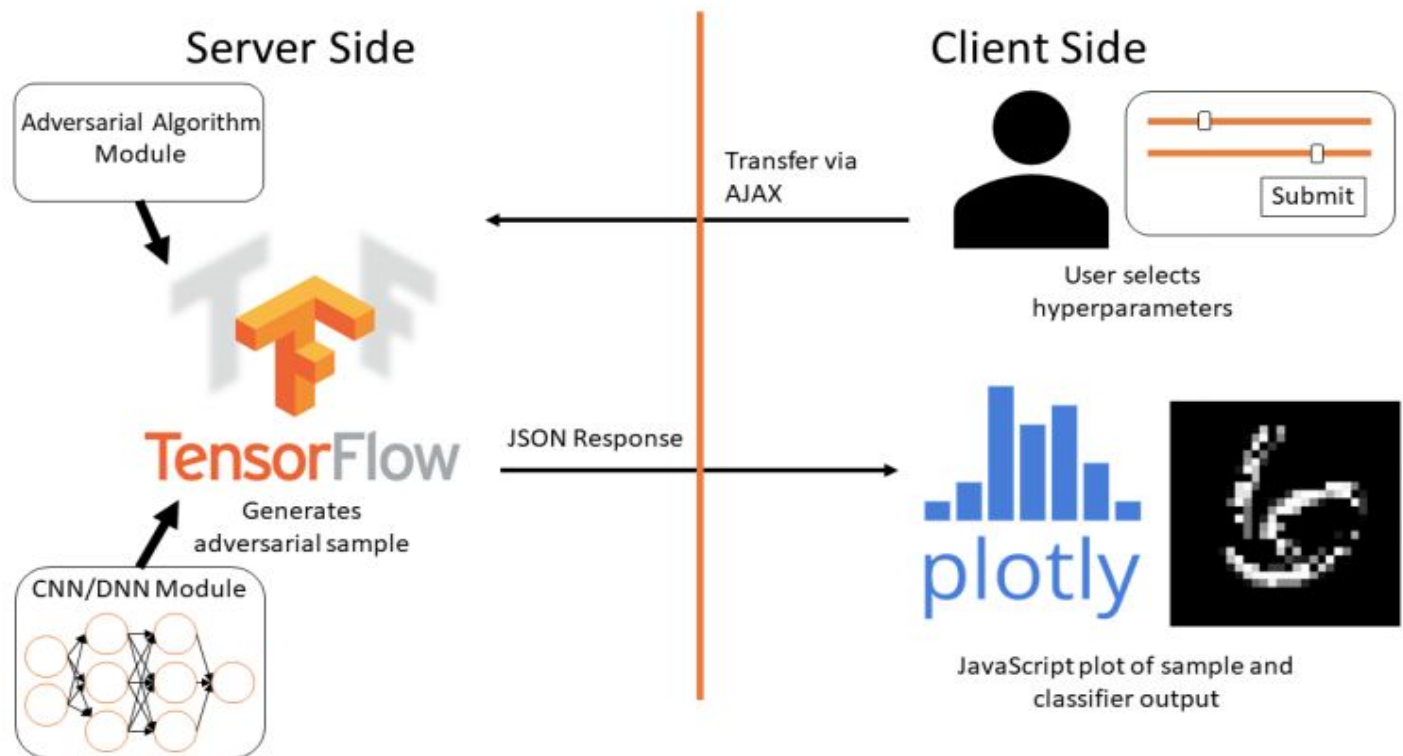


Figure 2: ADVERSARIAL-PLAYGROUND System Sketch

# Improvements to JSMA

JSMA: creates a targeted attack

FJSMA changes: only considers pairs of features  $(p, q)$  such that  $p$  is in the top  $k$  (small constant chosen by us) features ranked by derivative in the  $p$ -coordinate

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## Algorithm 1 Fast Jacobian Saliency Map Apriori Selection

$\nabla F(\mathbf{X})$  is the forward derivative,  $\Gamma$  the features still in the search space,  $t$  the target class, and  $k$  is a small constant

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**Input:**  $\nabla F(\mathbf{X}), \Gamma, t, k$

- 1:  $K = \arg \text{top}_{p \in \Gamma} \left( -\frac{\partial F_t(\mathbf{X})}{\partial \mathbf{X}_p}; k \right)$  ▷ Changed for FJSMA
- 2: **for** each pair  $(p, q) \in K \times \Gamma, p \neq q$  **do** ▷ Changed for FJSMA



## Performance of new FJSMA (evasion rate)

For FJSMA's with small  $k$ 's, with the  $\gamma$  perturbation shown on the top row, FJSMA evasion rate does not deviate more than 0.07

$\Upsilon$	10%	15%	20%	25%
JSMA Evasion Rate	0.658	0.824	0.867	0.879
FJSMA Evasion Rate [ $k = 10\%$ ]	0.583	0.777	0.823	0.826
FJSMA Evasion Rate [ $k = 15\%$ ]	0.613	0.816	0.867	0.871
FJSMA Evasion Rate [ $k = 20\%$ ]	0.633	0.833	0.878	0.887
FJSMA Evasion Rate [ $k = 30\%$ ]	0.638	0.844	0.896	0.901

## Performance of new FJSMA (time)

FJSMA time is ~ 33% to 50% faster as  $\gamma$  increases from 10% to 25%

$\Upsilon$	10%	15%	20%	25%
JSMA Time (s)	0.606	0.745	0.807	0.803
FJSMA Time [ $k = 10\%$ ] (s)	0.411	0.468	0.490	0.485
FJSMA Time [ $k = 15\%$ ] (s)	0.414	0.473	0.483	0.484
FJSMA Time [ $k = 20\%$ ] (s)	0.415	0.466	0.482	0.483
FJSMA Time [ $k = 30\%$ ] (s)	0.415	0.464	0.490	0.485

## Conclusion + Future work

**Conclusion:** Adversarial Playground provides a quick, easy to use webapp to visualize the performance of adversarial examples against DNNs.

### Future work:

- Support more evasion methods
- Explore more time-saving techniques to implement above
- Use different datasets CIFAR, ImageNet, MNIST, etc ...